



International
Centre for
Radio
Astronomy
Research

The 3D Distribution of the Molecular Clouds in the Galactic Centre

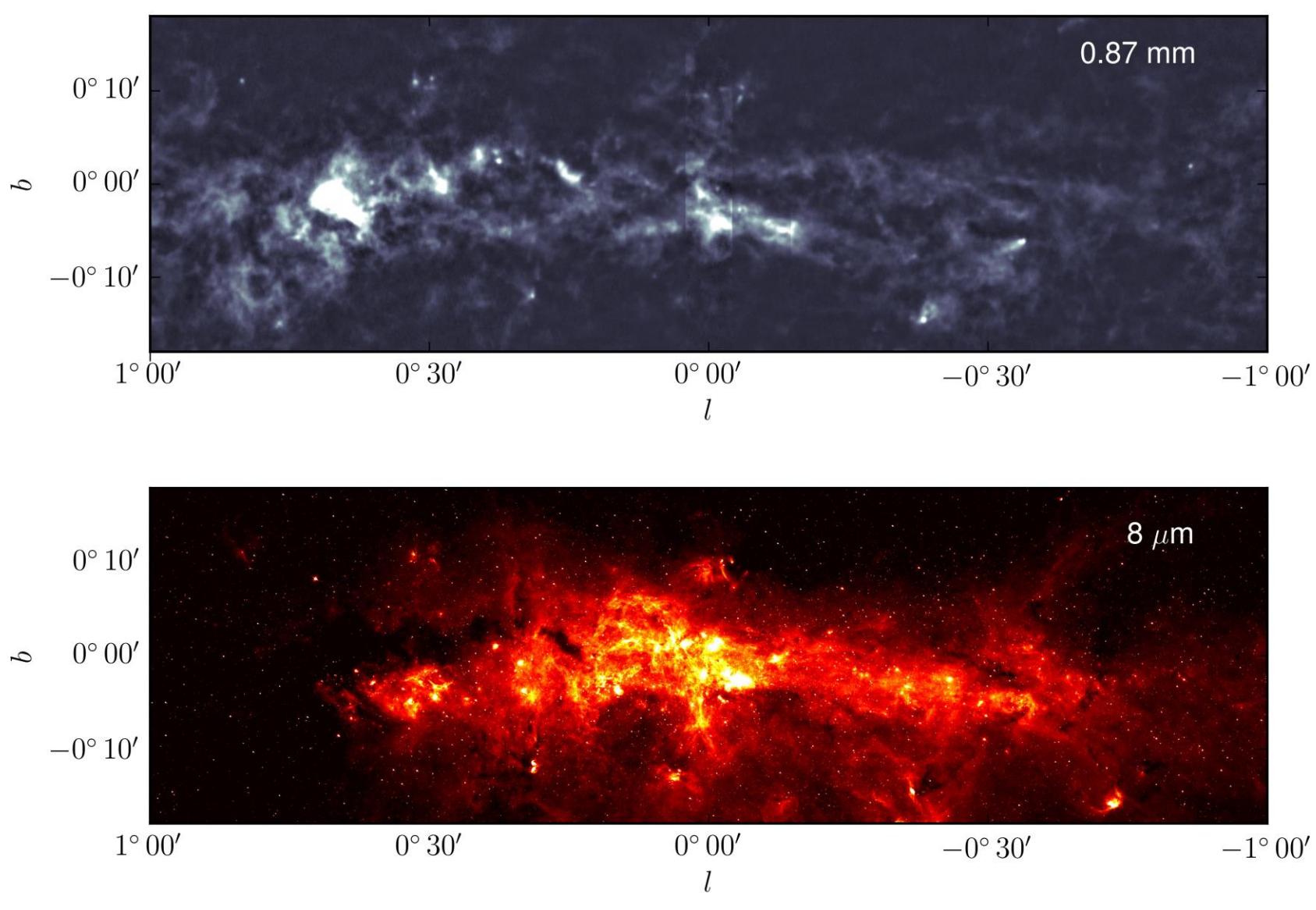
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Government of Western Australia
Department of the Premier and Cabinet
Office of Science

The Central Molecular Zone



ATLASGAL

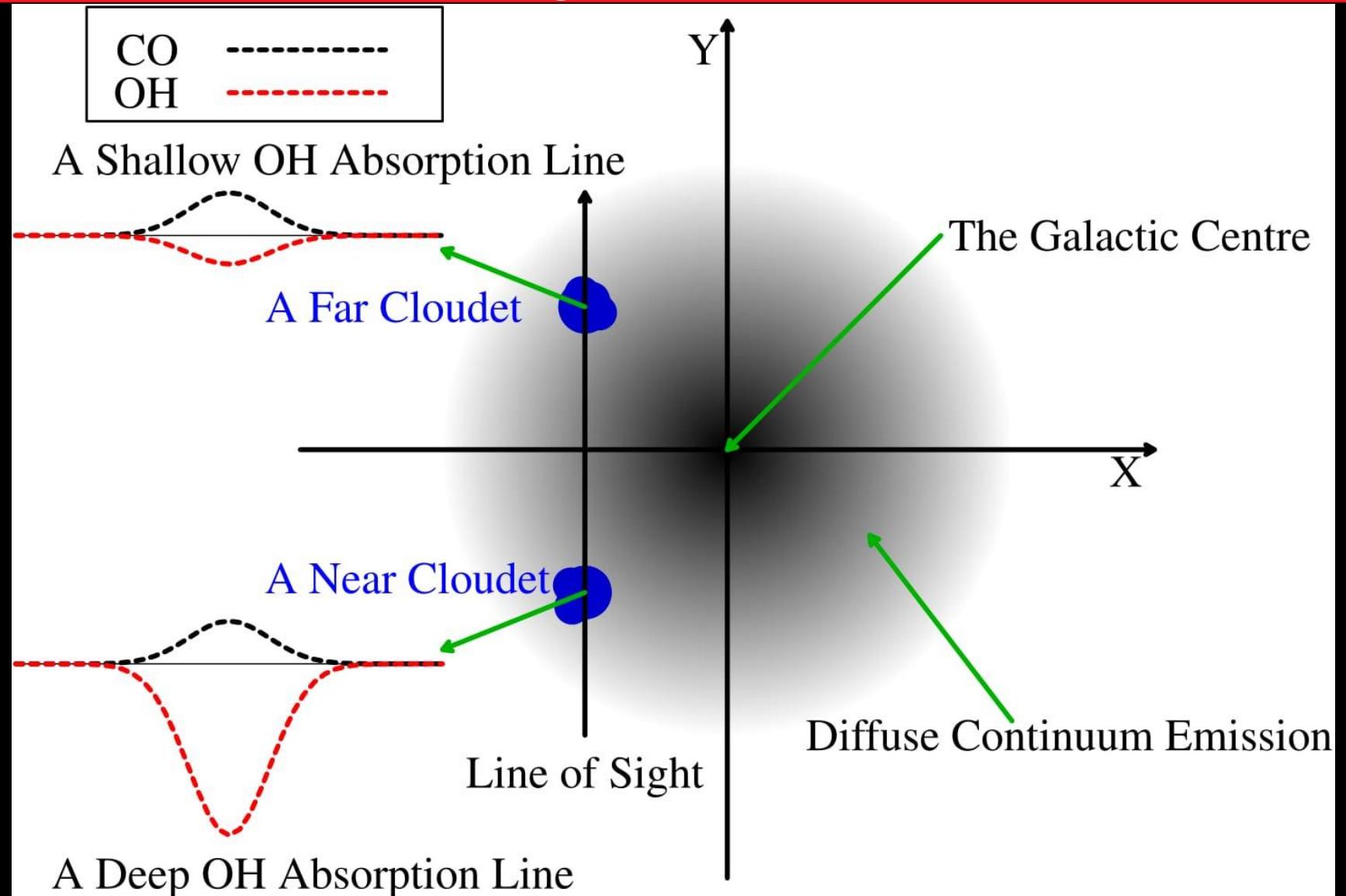
GLIMPSE

The Principle of Deriving a 3D Structure

Continuum behind clouds

$$T_c = ?$$

Sawada et al. (2004)



The Principle of Deriving a 3D Structure

Excitation temperature: $T_{\text{ex}} = 4 \text{ K}$

$$T_b = (T_{\text{ex}} - T_c)(1 - e^{-\tau})$$

Brightness Temperature: Observable

Sawada et al. (2004)

$$\text{Optical depth: } \tau = 0.15 \times T_{\text{CO}}$$

The Excitation Temperature

$$\frac{N_{\text{upper}}}{N_{\text{lower}}} = \frac{g_1}{g_3} \exp\left(-\frac{h\nu}{kT_{\text{ex}}}\right)$$

$$T_{\text{ex}} = T_{\text{ex}}(N_{\text{upper}}, N_{\text{lower}})$$

The excitation temperature is a function of column densities.



The Optical Depth

$$\tau_v = A \frac{c^3}{8\pi v_0^3} \frac{g_{\text{upper}}}{g_{\text{lower}}} N_{\text{lower}} \left(1 - \exp \left(-\frac{hv}{kT_{\text{ex}}} \right) \right) \phi_v$$

$$\tau_v = \tau_v(N_{\text{upper}}, N_{\text{lower}})$$

The optical depth is also a function of column densities.

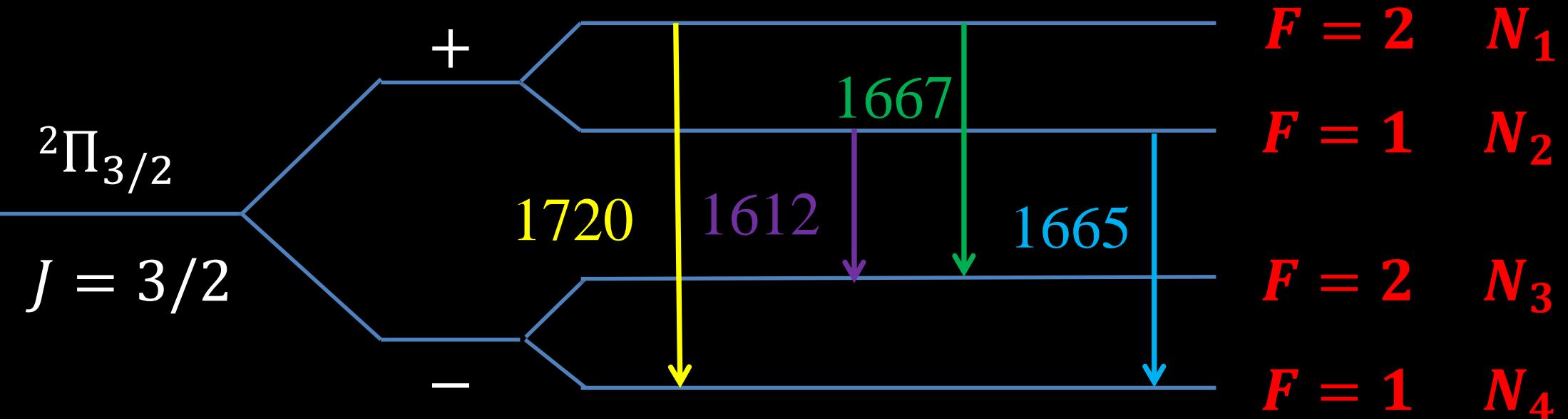


Case of knowing background continuum

$$T_b = (T_{\text{ex}} - T_c) (1 - e^{-\tau})$$

The brightness temperature is a function of column densities.

OH Ground States



Observations of four lines can solve four column densities.



The Equations

$$T_{\text{b}1665} = (T_{\text{ex}\,1665}(N_2, N_4) - T_{\text{c}1665})(1 - e^{-\tau_{v1665}(N_2, N_4)})$$

$$T_{\text{b}1667} = (T_{\text{ex}\,1667}(N_1, N_3) - T_{\text{c}1667})(1 - e^{-\tau_{v1667}(N_1, N_3)})$$

$$T_{\text{b}1612} = (T_{\text{ex}\,1612}(N_2, N_3) - T_{\text{c}1612})(1 - e^{-\tau_{v1612}(N_2, N_3)})$$

$$T_{\text{b}1720} = (T_{\text{ex}\,1720}(N_1, N_4) - T_{\text{c}1720})(1 - e^{-\tau_{v1720}(N_1, N_4)})$$

Background continuum



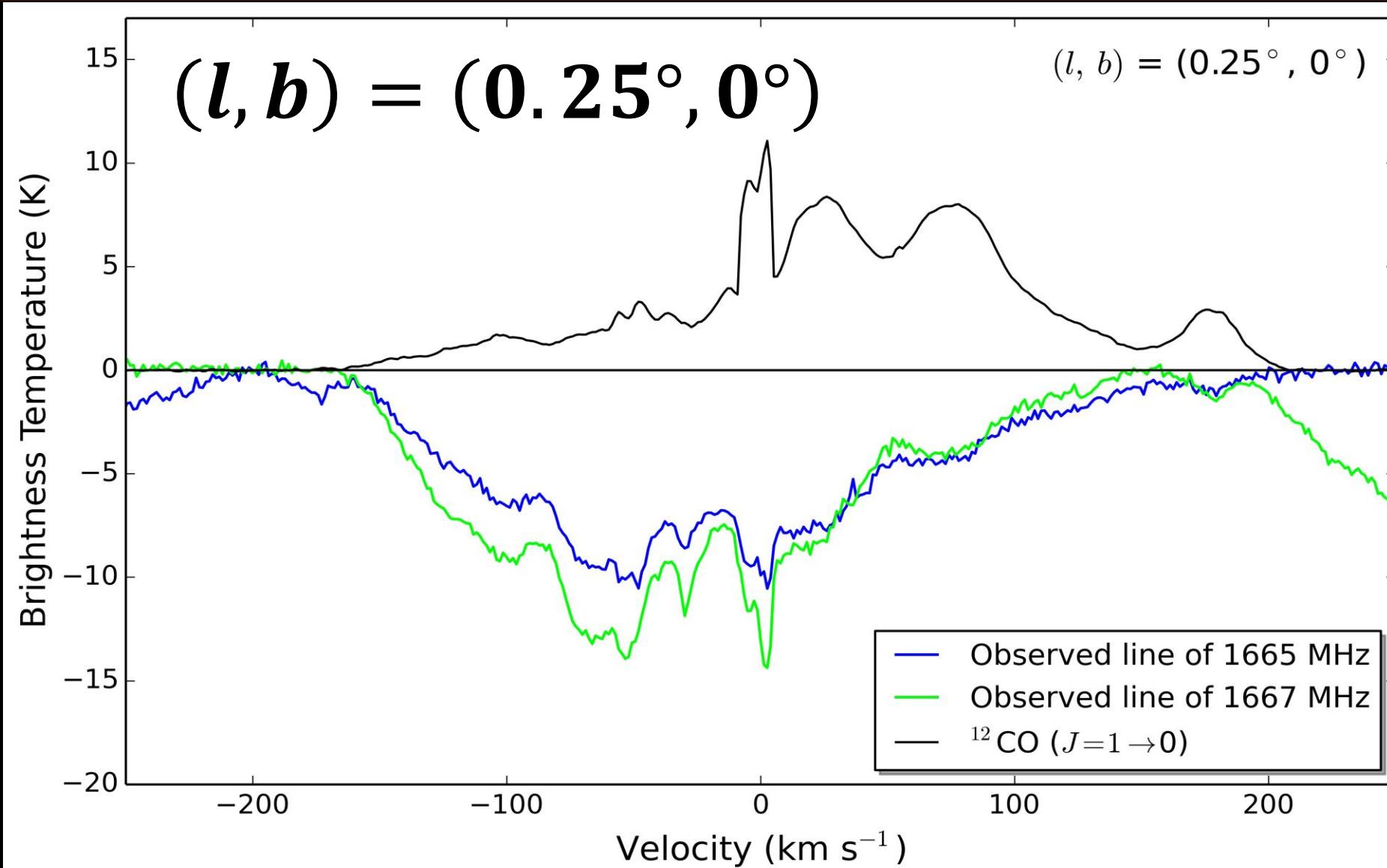


Case of the Galactic Centre

- $T_b = (T_{\text{ex}} - T_c)(1 - e^{-\tau})$
- 1665- and 1667-MHz lines blend together.

We need two more equations.

Case of the Galactic Centre





Assumption 1

The excitation temperatures of 1665- and 1667-MHz lines are equal.

$$T_{\text{ex } 1665} = T_{\text{ex } 1667}$$



Assumption 2

The column density of OH is proportional to the column density of ^{13}CO .

$$N_3 + N_4 = f \times T_{^{13}\text{CO}}$$



$$4.7 \times 10^{18} \times \left[\frac{T_{\text{CO}}}{1 \text{ K}} \right] \text{ m}^{-2}$$

Case of the Galactic Centre

$$T_{\text{b}1667} = (T_{\text{ex}\,1667}(N_1, N_3) - T_f T_{\text{c}1667})(1 - e^{-\tau_{v1667}(N_1, N_3)})$$

$$T_{\text{b}1612} = (T_{\text{ex}\,1612}(N_2, N_3) - T_f T_{\text{c}1612})(1 - e^{-\tau_{v1612}(N_2, N_3)})$$

$$T_{\text{b}1720} = (T_{\text{ex}\,1720}(N_1, N_4) - T_f T_{\text{c}1720})(1 - e^{-\tau_{v1720}(N_1, N_4)})$$

$$\frac{hv_{1665}/k}{\ln(N_4) - \ln(N_2)} = \frac{hv_{1667}/k}{\ln(N_3) - \ln(N_1)}$$

Fraction of continuum
behind molecular clouds.

$$N_3 + N_4 = f \times T_{\text{co}}$$

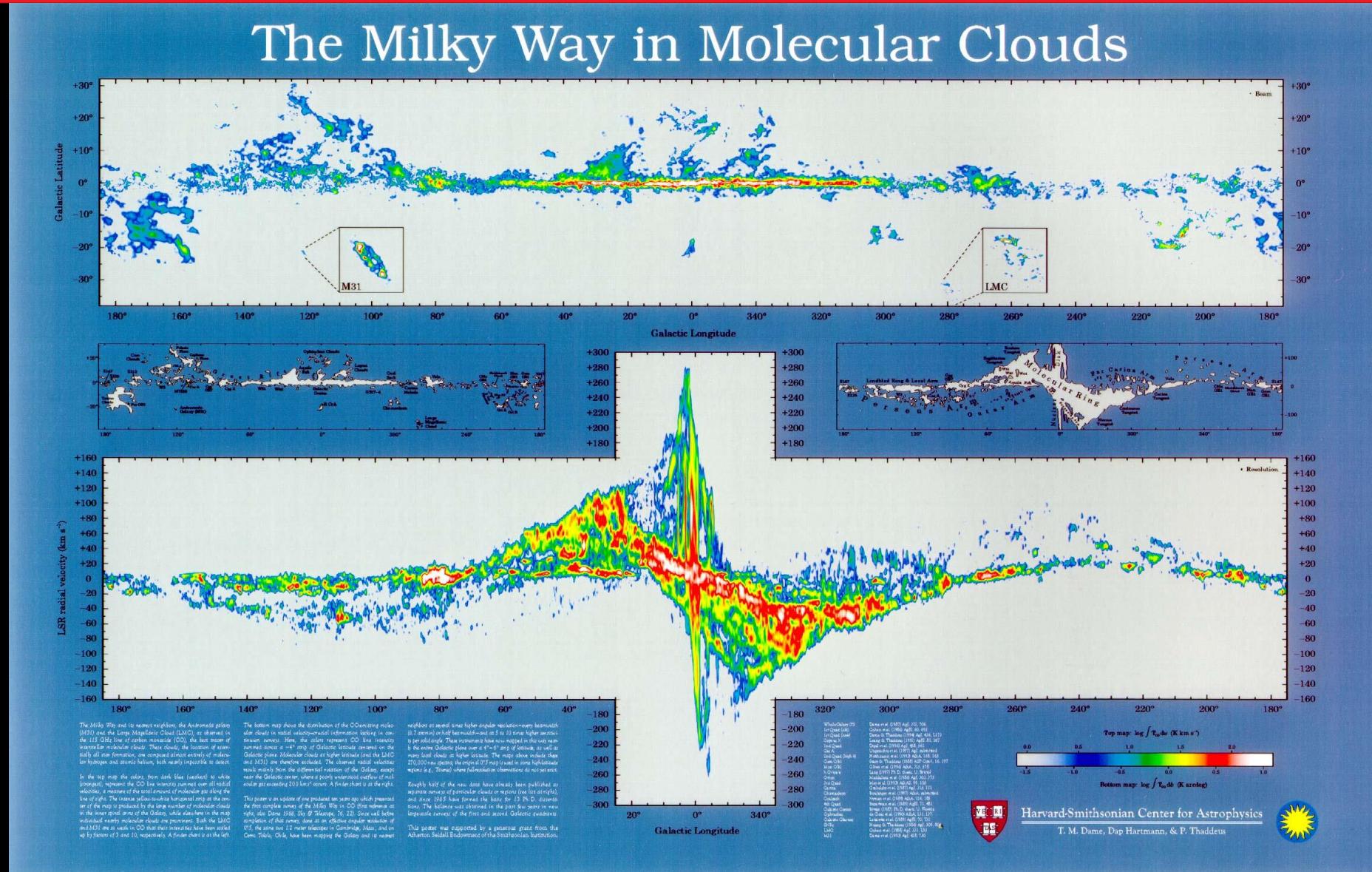
OH Data (SPLASH, Dawson et al. (2014))

Parkes
64m

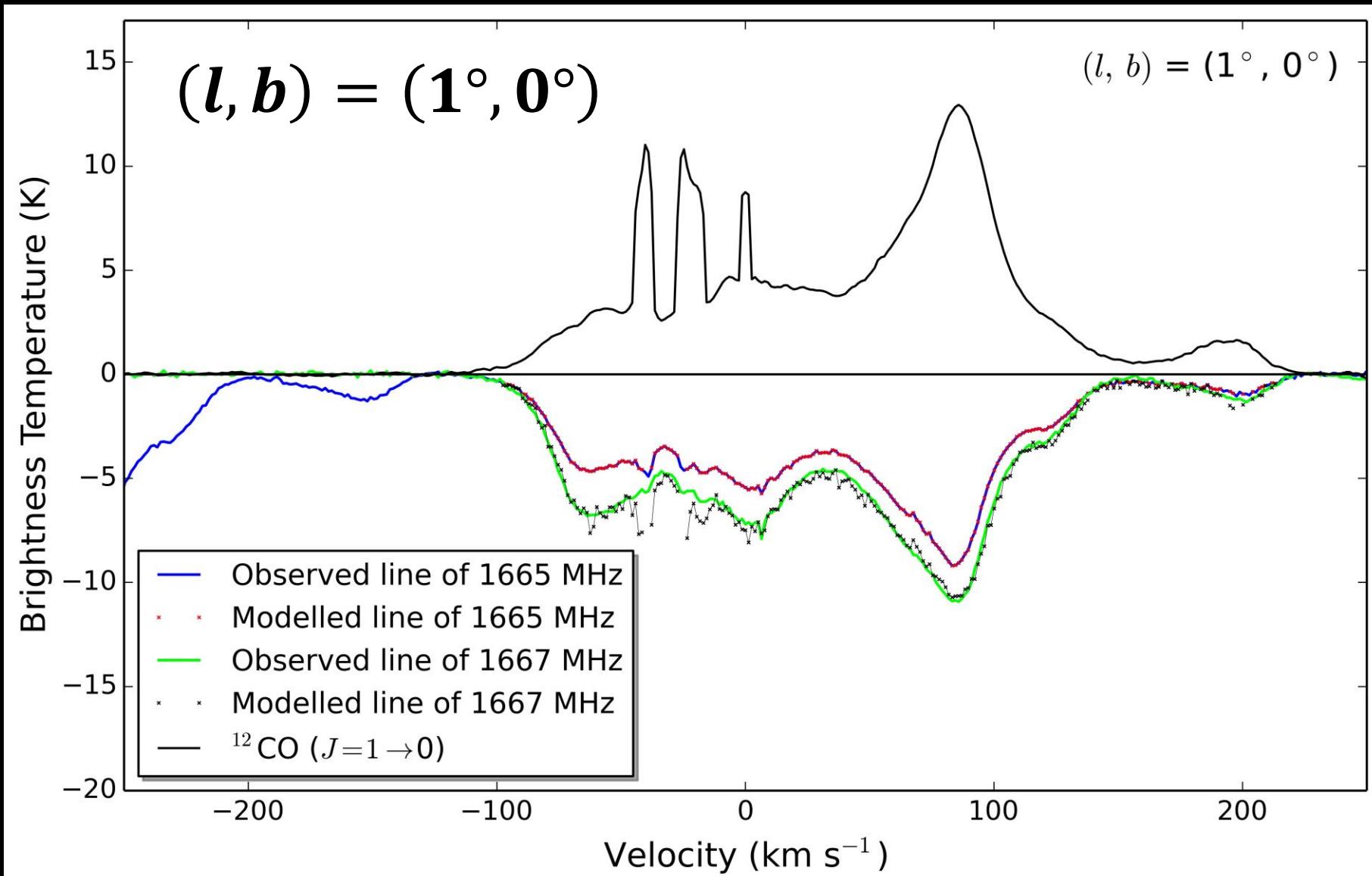


CO Data (Dame et al. (2001))

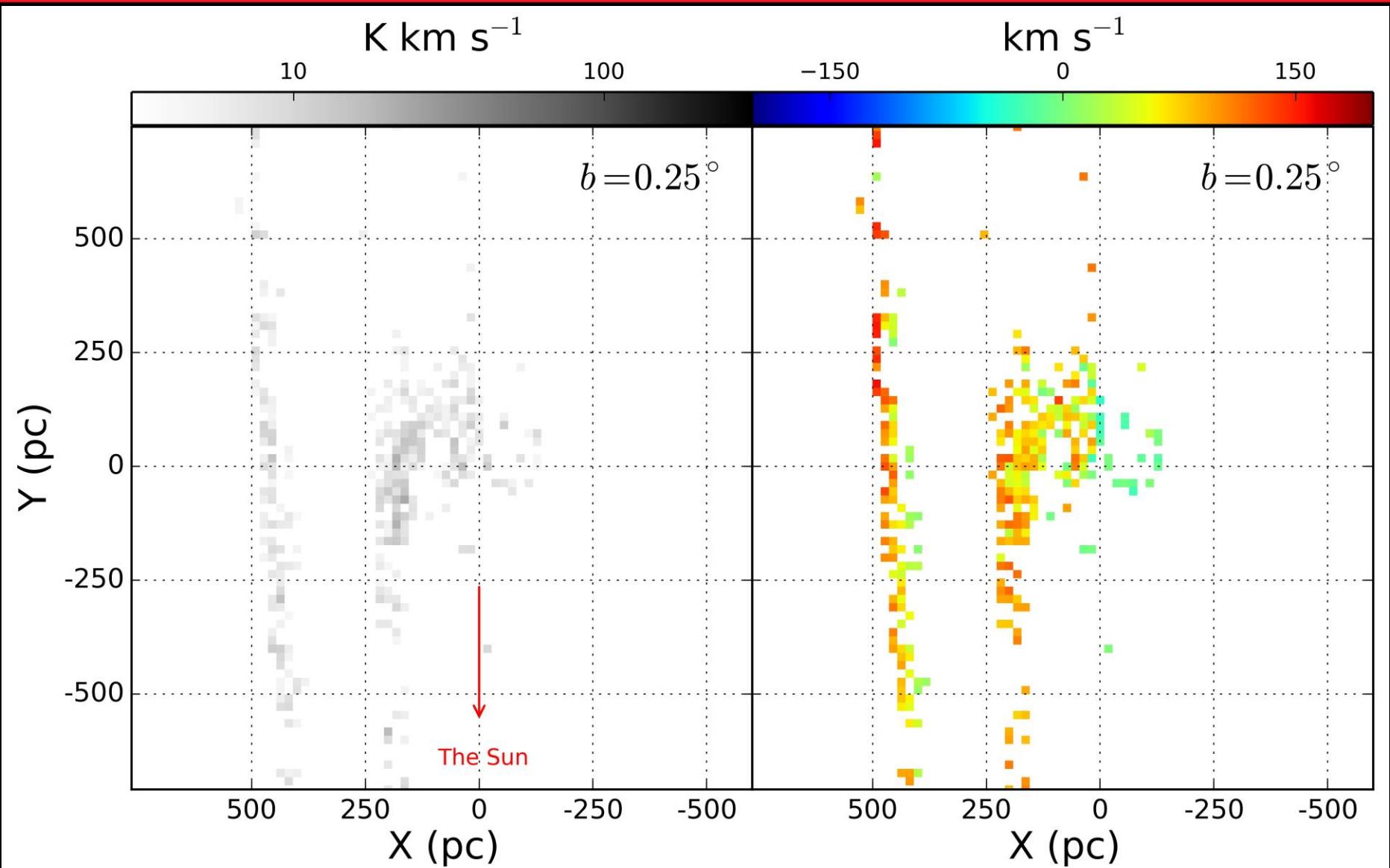
CfA
1.2m



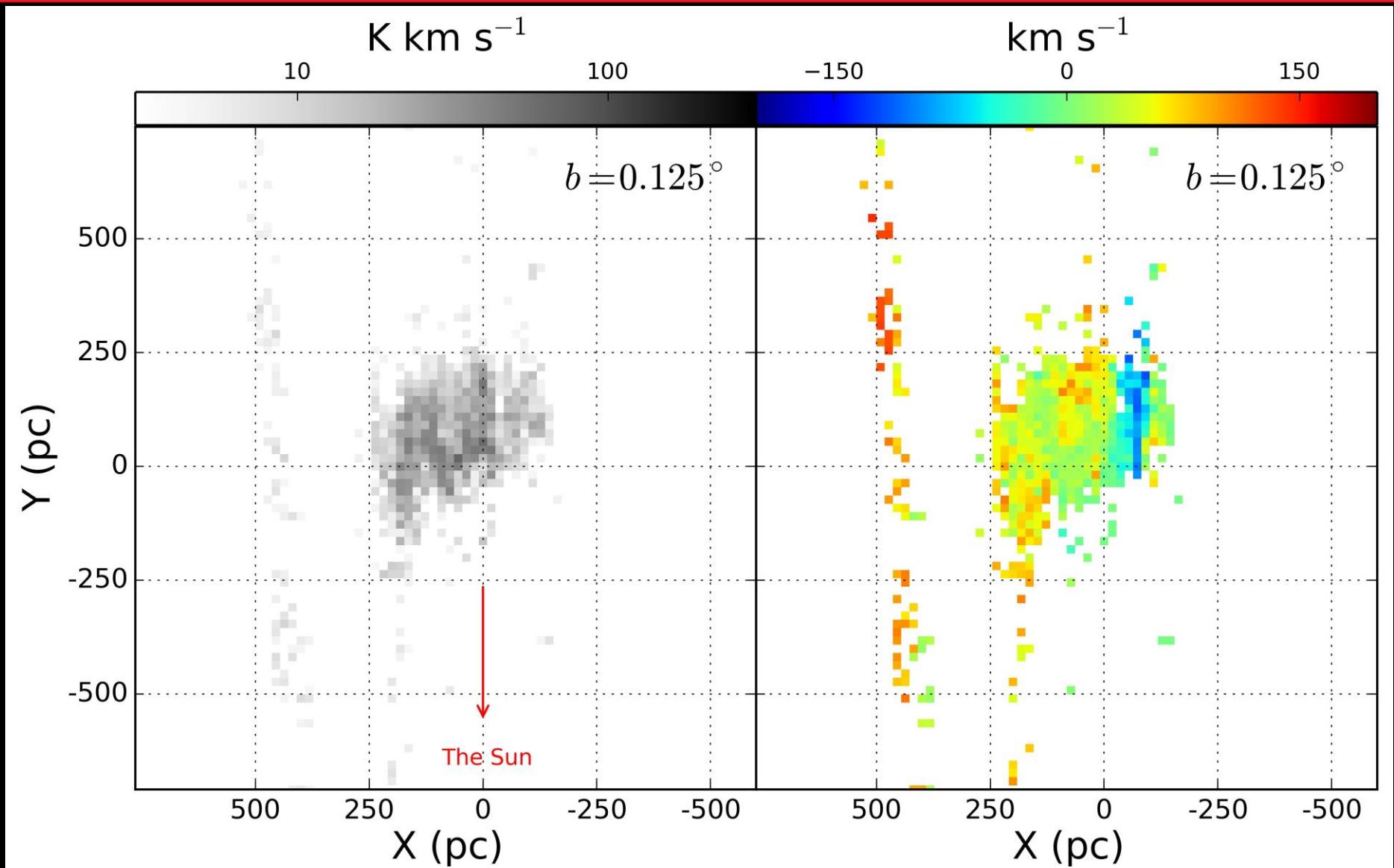
Testing the method



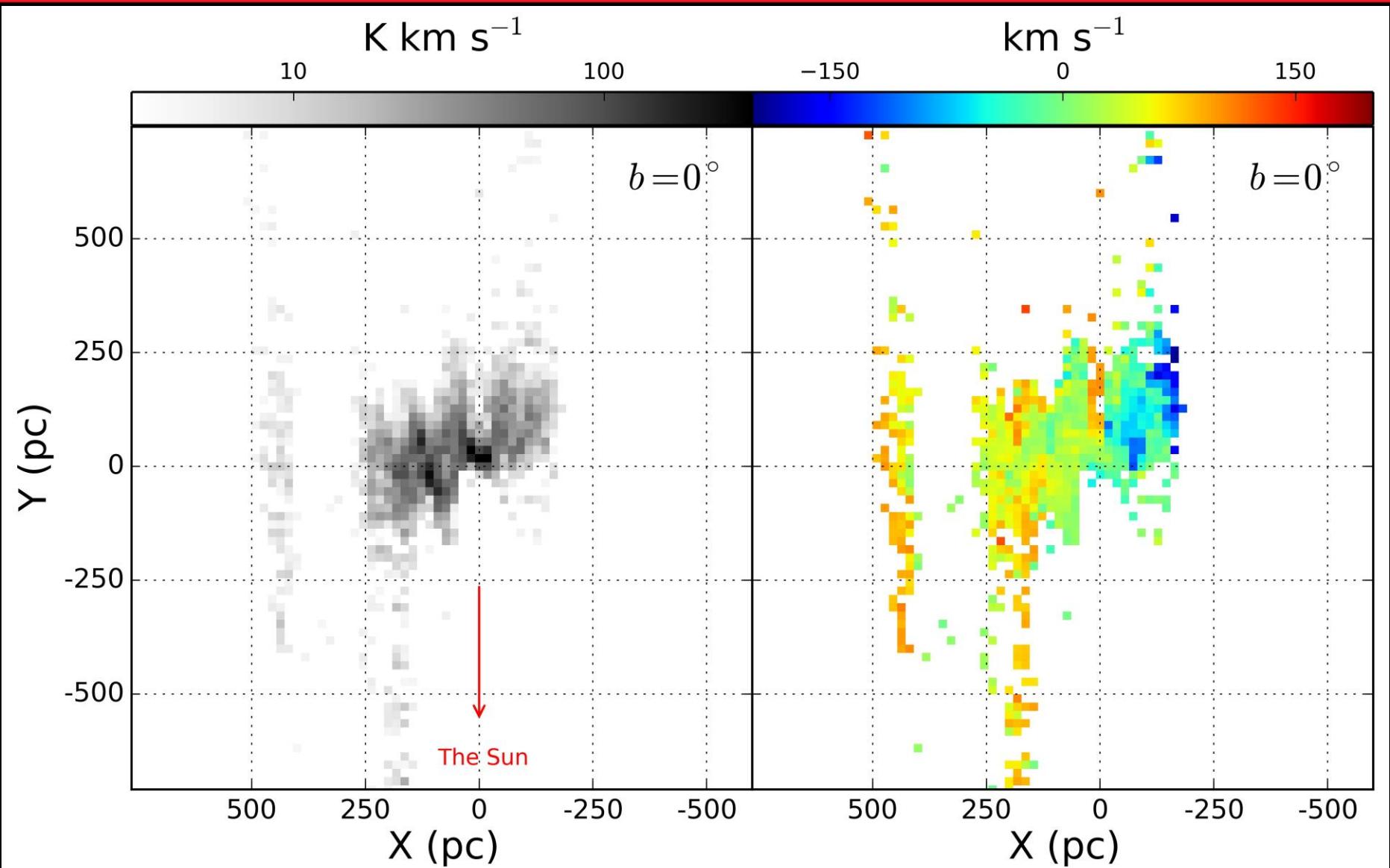
Face-On View ($b = 0.25^\circ$)



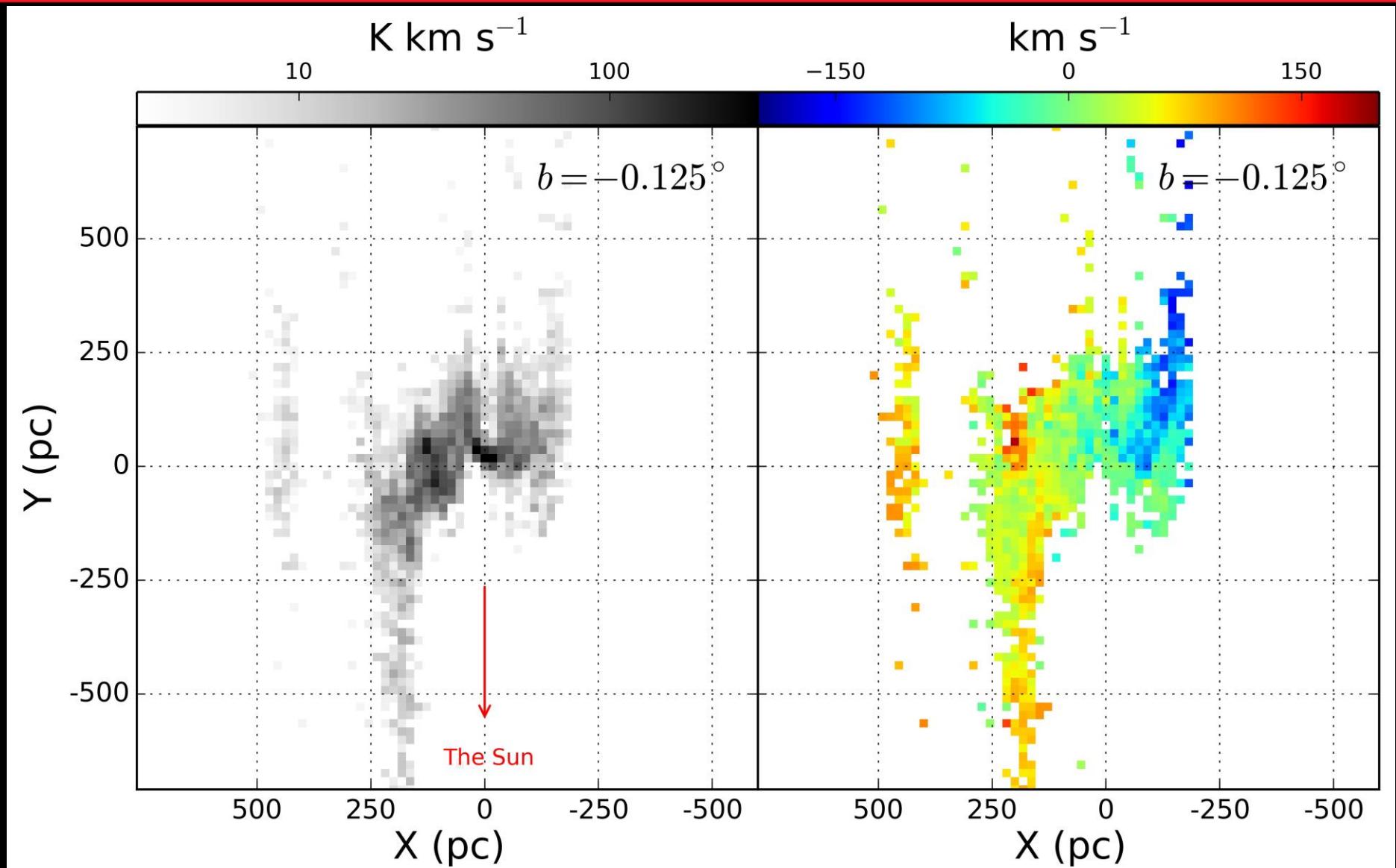
Face-On View ($b = 0.125^\circ$)



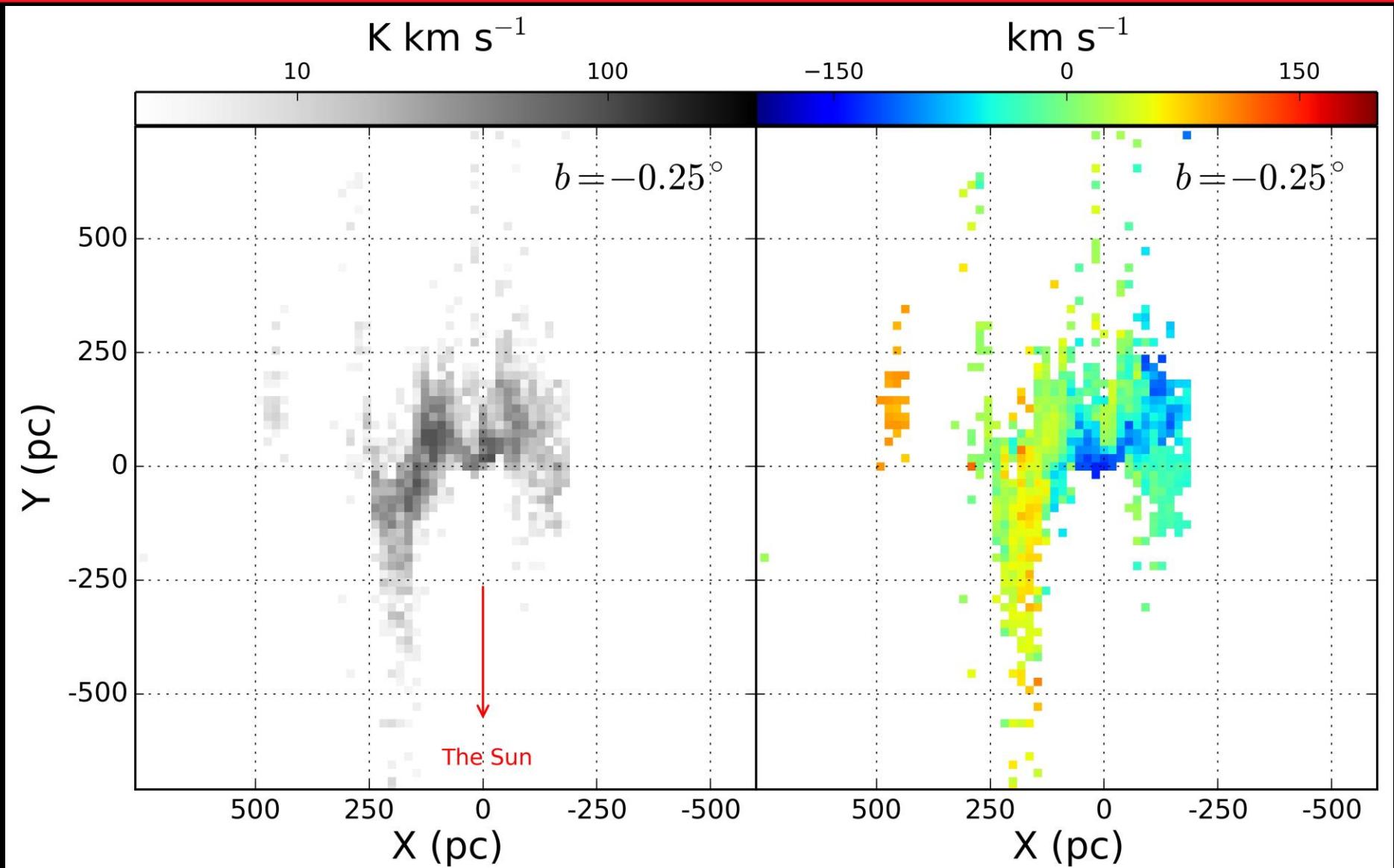
Face-On View ($b = 0^\circ$)



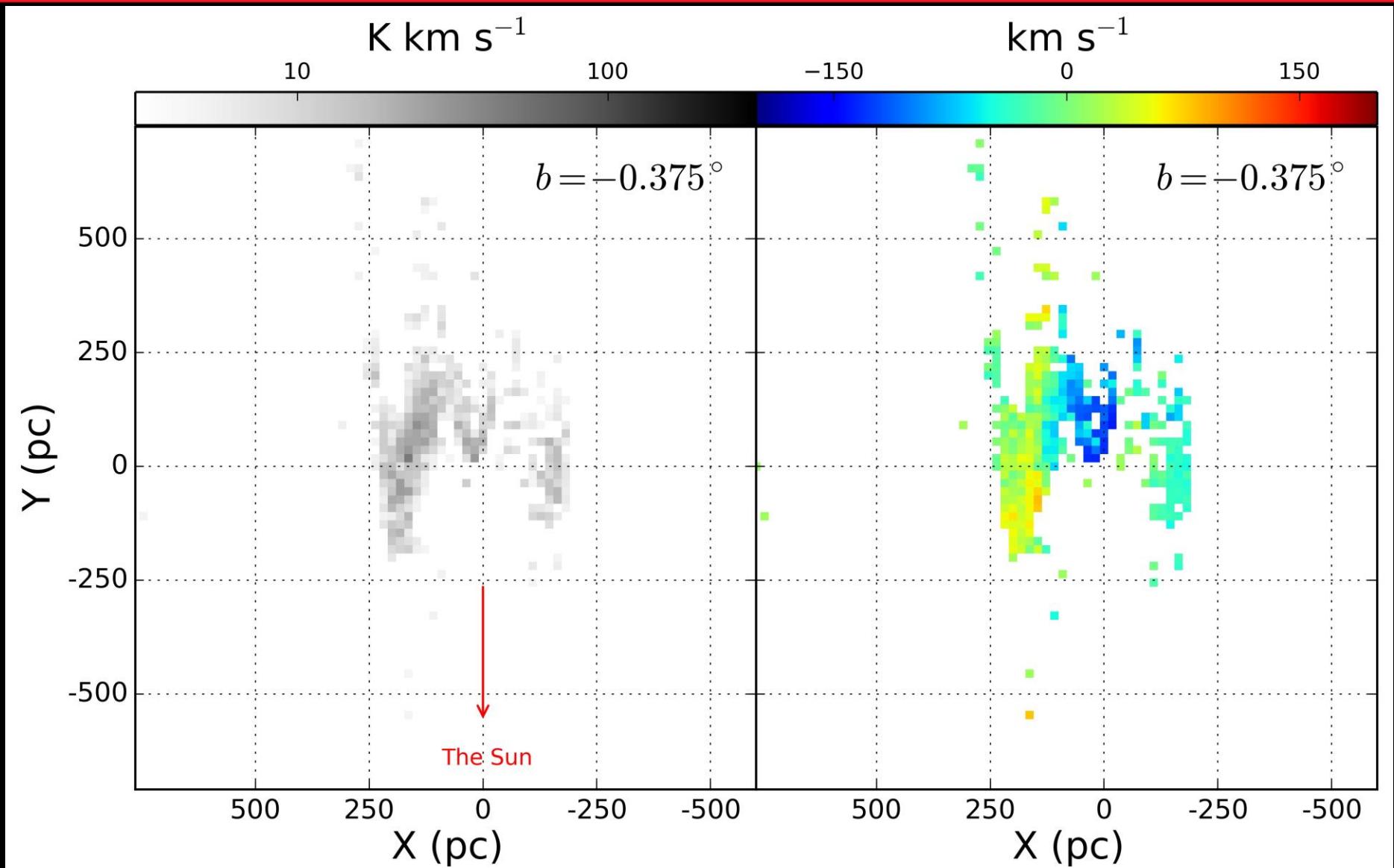
Face-On View ($b = -0.125^\circ$)



Face-On View ($b = -0.25^\circ$)



Face-On View ($b = -0.375^\circ$)





Future studies

- We have observed the OH spectral lines towards the CMZ with VLA.
- The data reduction of CO (Mopra) is ongoing.



Summary

- We found a new method of calculating OH column densities.
- We have derived a three-dimensional structure of the molecular clouds in the Galactic Centre.